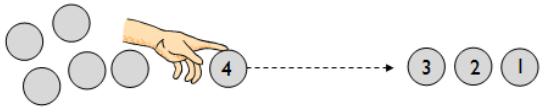


Stage 1

Children will subtract two numbers by taking one away from the other and counting how many are left.



Children are encouraged to develop a mental image of the size of numbers. They learn to think about subtraction as 'take away' in practical, real life situations.

They begin to record subtraction number sentences such as $8 - 5 = 3$



Stage 2

Children move on to using Base 10 equipment alongside a number track to support their developing understanding of subtraction.

$13 - 4 = ?$

13 cubes are lined up.

4 cubes are removed from the end of the line leaving 9 left. It is important that children keep track of how many have been removed.



Touch count and remove the number to be taken away.



Touch count to find the number that remains.



Stage 3

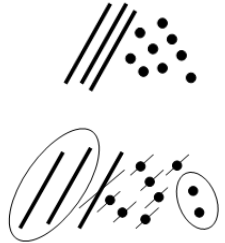
Children continue to use the Base 10 equipment to support their calculations. They will record their own drawings of the Base 10 equipment, using lines for 10 rods and dots for the unit blocks.

$39 - 17 = ?$

39 is drawn

17 is crossed out

A ring is drawn around what is left to give the answer giving 22



Step 1

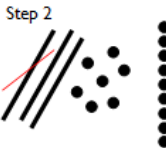
$37 - 19 = ?$

37 is drawn

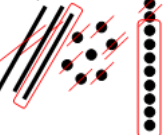
9 units cannot be crossed out, so a ten is crossed out and exchanged for 10 ones which are in a line.

19 is crossed out

A ring is drawn around what is left to give the answer 18



Step 2



Step 3

Stage 4A

$$\begin{array}{r} 89 \\ - 57 \\ \hline 30 \end{array} \begin{array}{l} \rightarrow 9 \\ \rightarrow 7 \\ \rightarrow 2 = 32 \end{array}$$

The calculation should be read as subtract 7 from 9 or 9 subtract 7.

Children move from using the Base 10 method to expanded vertical method, using base 10 notation and arrow cards. Children learn to subtract the least significant digits first (start with the numbers on the right and work from right to left). The answer to each individual subtraction is written underneath before these answers are recombined.

Stage 4B

This stage involves exchange.

It is clear that there are not enough units to subtract 6 from 1, so one of the tens from the 70 is exchanged for 10 ones.

The initial number 71 is rearranged as 60 and 11 to make the calculation easier.

This would be recorded by the children as:

$$\begin{array}{r} 70 \\ - 40 \\ \hline 30 \end{array} \begin{array}{l} \cdot \\ \rightarrow 1 \\ \rightarrow 6 \end{array}$$

$$\begin{array}{r} 60 \\ - 40 \\ \hline 20 \end{array} \begin{array}{l} 11 \\ \rightarrow 6 \\ \rightarrow 5 = 25 \end{array}$$

$$\begin{array}{r} 60 \\ - 40 \\ \hline 20 \end{array} \begin{array}{l} 11 \\ \rightarrow 6 \\ \rightarrow 5 = 25 \end{array}$$

Stage 5

This final stage is the compact method of decomposition. The example shows how the same calculation would be carried out using the previous method and the final method.

$$\begin{array}{r} 754 \\ - 86 \\ \hline \end{array}$$

Stage 4B

$$\begin{array}{r} 600 \\ - 700 \\ \hline 600 \end{array} \begin{array}{l} 140 \\ \rightarrow 50 \\ \rightarrow 80 \\ \rightarrow 6 \end{array} \begin{array}{l} 14 \\ \rightarrow 6 \\ \rightarrow 8 = 668 \end{array}$$

becomes

Stage 5

$$\begin{array}{r} 6141 \\ - 764 \\ \hline 668 \end{array}$$

This is the final stage of the process and will continue to be used with larger numbers and numbers involving decimals.